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**BSCSTCN 201**

**II Semester B.Sc. Examination, September 2022  
(NEP 2020) (2021 – 2022 Batch Onwards)  
STATISTICS**

**Probability and Probability Distributions – I (DSCC)**

Time : 2 Hours

Max. Marks : 60

- Instructions :** i) A single booklet containing **40** pages will be issued.  
ii) **No** additional sheets will be issued.

**PART – A**

1. Answer **any three** of the following. **(3×2=6)**
- Write down the sample space when a coin is tossed thrice.
  - Define continuous random variable and its probability density function.
  - State Markov's inequality.
  - Define negative binomial distribution.
  - Describe the use of colon operator.
  - Mention any two limitations of R.

**PART – B**

Answer **any four** of the following. **(4×6=24)**

- State and prove the addition theorem of probability for two events.
- If A and B are two events with  $P(A) = p_1 > 0$  and  $P(B) = p_2$ , show that  
$$P(B|A) \geq 1 - \frac{(1-p_2)}{p_1}.$$
- If  $p(x) = \frac{x}{15}$ ;  $x = 1, 2, 3, 4, 5$ , verify whether  $p(x)$  is p.m.f. If so find the distribution function.

**P.T.O.**



5. Define m.g.f. and c.g.f. of a random variable. For two independent random variables X and Y, show that  $M_{X+Y}(t) = M_X(t) \cdot M_Y(t)$ .
6. Prove that the recurrence relation between the central moments of Poisson distribution is  $\mu_{r+1} = \lambda \left[ r \mu_{r-1} + \frac{d\mu_r}{d\lambda} \right]$ . Where  $\mu_r$  is the  $r^{\text{th}}$  moment about mean.
7. Derive the median of normal distribution.
8. Write a note on input and output in R.

## PART – C

Answer **any three** of the following.

**(10×3=30)**

9. a) If A and B are independent events, show that
  - i)  $A'$  and  $B'$  are independent. 5
  - ii) A and  $B'$  are independent. 5
- b) State and prove Baye's theorem of probability. 5
10. a) State and prove the multiplication theorem of expectation for two continuous random variables. 5
- b) Show that  $V(aX + bY) = a^2 V(X) + b^2 V(Y) + 2ab \text{Cov}(X, Y)$ . 5
11. a) State and prove the memoryless property of geometric distribution. 5
- b) Derive the variance of U(a, b) distribution. 5
12. a) Define Beta distribution of first kind and obtain mean of Beta distribution of first kind. 5
- b) Explain statistical functions performed by R. 5

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